### Thermochemical Equations



# Manipulating Thermochemical Equations

Rules for manipulation:

1. When an equation is multiplied by a factor, the enthalpy value for the new equation must also be multiplied by that same factor.

2. When a thermochemical equation is written in reverse, the sign of enthalpy is also reversed.

Stoichiometry of Thermochemical Equations

Using the thermochemical equation, you can make a conversion factor to create a ratio of mols to heat evolved/absorbed.

Enthalpy of Formation - The amount of energy absorbed/evolved for an individual molecule in a reaction  $\Delta H_{f}^{\circ}$ 

Solving basic Thermochemical Problems using Hess's Law

Rules:

1. When one reactant of one equation is the same as the product of another equation, they can cancel out.

2. When a compound is in two equations but on the same side (both reactants or both products), the molar amounts are added.

3. The thermochemical equations can be manipulated, but the whole equation must be multiplied or divided by the same amount, including the enthalpy.

#### Hess's Law

The first part of Hess's Law describes how reactions can have multiple steps that are not always listed.

 $N_{\lambda}(q) + \lambda H_{\lambda}(q) \rightarrow N_{\lambda}H_{4}(l)$ 

Now, this equation doesn't happen naturally. It is actually a combination of two different reactions:

N2 H4(1) + O2(9) → N2(9) + 2H2O(1); AH = - 622.2 KJ

H2(3) + 202(3) -> H20(1); AH= -285.8 KJ

In order to solve this problem, we want to manipulate the two equations so that the components combine or cancel out to form the original equation:

The first equation is reversed.

The second equation is doubled.



Once all factors are added and canceled, all reactants are written on one side and all products are written on the other. To find the net change in enthalpy, just add the two values of enthalpy together.

# $N_1 + 2H_2 \longrightarrow N_2H_4$ ; $\Delta H = 50.6 kJ$

#### Hess's Law

The next part of Hess's Law states that the overall enthalpy change of a reaction is equal to the sum of the energy changes in each step.

Mathematically, this can be written:

AH= En AH= products - Em AH= reactants Thermodynamic Properties (at standard states) ∆G<sub>1</sub>° in kJ/mol Breaking this equation ΔH<sup>°</sup> in kJ/mol S° in J/mol concentration of aqueous solutions is 1M ΔH ΔGf Substance Ag AgCl AgCN  $\begin{array}{c} \Delta \ \ H_{0}^{2} \\ -972 \\ -972 \\ -972 \\ -20.1 \\ -20.1 \\ -20.1 \\ -20.1 \\ -90.8 \\ -20.5 \\ -20.1 \\$ I of the  $H_{3}PO_{3}$   $H_{3}PO_{4}$   $H_{2}S$   $H_{2}SO_{3}(aq)$   $H_{2}SO_{4}(aq)$  $\Sigma$  means the sum c  $\begin{array}{l} \text{Ai} & \text{Ai} \\ \text{Ai}_2 \text{O}_3 \\ \text{Ba} \text{SO}_4 \\ \text{Be} \\ \text{Be} \\ \text{Be} \text{SO}_4 \\ \text{Be} \\ \text{Bi} \\ \text{Bi} \\ \text{SO}_3 \\ \text{Bi} \\ \text{SO}_4 \\ \text{SO}_$ reactants 196 201 117 63.6 96.4 172 HgCl<sub>2</sub> Hg<sub>2</sub>Cl<sub>2</sub> Hg<sub>2</sub>SO<sub>4</sub>  $n\Delta H/m\Delta H$  is the ch sts and (Br KMnO₄ KOH LiBr LiOH reactants respectively Mn MnCl<sub>2</sub>(aq) Mn(NO<sub>3</sub>)<sub>2</sub>(aq) MnO<sub>2</sub> MnS the n and m before halpy of 
 N

 NH<sub>3</sub>

 NH<sub>4</sub>Br

 NO

 NO

 NO

 NaBr

 NaCl

 NAND-3(SG)

 NAND-3(SG)

 NAS2SO4

 NA25S(GG)

 NA25S(GG)

 NA25SO4

 P406

 P407

 PbB12

 S

 SO2

 SO3

 SG03

 SG03

 SG03

 SG03

 SG2

 Z010

 PbB12

 S

 S2

 Z010

 PbC12

 S

 Z010

 PUC12

 Zn

 ZnS04(SG)

 ZnS04(SG)
formation of each part ied by its  $\begin{array}{c} G_{2}\\ G_{3}\\ Co_{3}\\ Co_{3}\\ Co_{3}\\ Co_{3}\\ Co_{5}\\ Co_{4}\\ Cu_{5}\\ C$ 1 enthalpy. respective number of I \$o, putting this togeth total change in ation of the enthalpy is equal to th products minus the su n of the reactants. A list of the standard enthalpies of formation can be found at URL HERE! as well as in the resources tab of the website. The enthalpies of formation can be written underneath each respective element, and then the above equation is used to find the total enthalpy of the equation.  $\begin{array}{c} (x) = 4 \times H_{3(g)} + 50_{2(g)} \rightarrow 4 \times 0_{(g)} + 6 \times H_{2}0_{(g)} \\ (x) = 4(-45.9) \quad 5(0) \quad 4(90.3) \quad 6(-241.8) \end{array}$  $\Delta H = \Delta H_p - \Delta H_r$ =-1089-(-183.6) △H= -906kJ

### Calorimetry

### Calorimetry - The measure of heat absorbed or evolved in a chemical or physical reaction Calorimeter - an object used to measure heat absorbed or evolved.



Heat Capacity - The amount of heat required to raise a substance 1 degree celsius

Specífic Heat Capacíty - The amount of heat required to raíse 1 gram of a substance 1 degree celsíus

Latent heat of fusion / vaporization - The amount of energy required to cause an amount of a substance to undergo a phase change.

# Heating and Cooling Curves



To any heating and cooling curve, there are generally five parts that need to be observed:

- 1. The initial up/down slope
- 2. The first flat line(melting/condensation point)
- 3. The upward/downward slope in the middle
- 4. The second flat line (evaporation/freezing point)
- 5. The final upward/downward slope

Using this information, it is possible to calculate the energy needed throughout phase changes.

Parts 1, 3, and 5 (with an upward/downward slope) can be calculated with the equation:

Q=mct

Where m is the mass of the substance

c is the object's specific heat

and t is the change in temperature (final - initial)

Parts 2 and 4 cannot be calculated with this equation, because there is no change in temperature. Instead, they need to be calculated using their latent heats of vaporization/fusion. The equation used for this is:

Q=mL

where m is the mass of the substance (or the molar amount, depending on what is available)

and L is the latent heat.

Solving Cooling Curve Problems Calculate the energy required to raise the temperature of 18.0 grams of ice at -20 C to steam at 120 C. You have exactly one mole of water. 120 Spec. Heat of ice: 2.092 J/g C 4 Spec. Heat of water: 4.18 j/g C 100-Spec. Heat of steam: 2.092J/gC Ten p 2 6020 j/mole 0-Heat of Fusion: -20 Heat of Vaporization: 40,700 j/mole Time Q=mcat  $0_1 = (2.092)(18)(0 - (-20)) = 753.12J$ 75245  $O_3 = (4.18)(18)(100-0) =$  $Q_5 = (2.092)(18)(120-100) = 753.123$ Once all values have been individually calculated, they are all added together to find Q=mL the total energy added. Q= 6020J x lard = 6020J So, the total energy added in this case is 55,750.24 Joules.  $Q_4 = 40,700 J_X \ Imot = 40,700 J$